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# FPGA Implementation of Rectangle Lightweight Block Cipher

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**Abstract:** Block ciphers are basic building blocks for network security. In recent years, designing a lightweight block cipher is the main goal of VLSI design engineers.

*In this paper, we have designed and verified the functionality of the RECTANGLE block cipher which is one of the lightweight block cipher using Modelsim simulator and implemented using Intel Quartus Prime 18.0 FPGA device. Using the bit-slice technique a RECTANGLE block cipher allows lightweight and fast implementations. The en-cryption architecture has two parts one is round transformation and the other is key scheduling.*

*RECTANGLE uses Substitution-Permutation network. It takes 64-bit plain text and an 80-bit key as an input and converts it into a 64-bit ciphertext.*

*There are three main advantages of using the RECTANGLE block cipher. First, it has a simple design. Second, it is very hardware friendly. By selecting the proper S-block RECTANGLE can achieve good security performance.*

**Index Terms:** Lightweight Block Cipher, Block Ciphers, Encryption, Bit-slice technique, Round Transformation, Key Scheduling, Substitution Block, Permutation Block.

## I. INTRODUCTION

In a world, full of cybercrimes and data misuse, information and network security is the need of the hour. Here cryptography plays an important role. Cryptography is nothing but a process that converts an ordinary plaintext into ciphertext and vice-versa. It is the method that protects information and communicates through the codes. Cryptography is classified into two categories first is the mode of operation and second Feistel network, substitution-permutation network. It can be done by symmetric key and asymmetric key.

Block ciphers are the primary integrant of cybersecurity as they are used to convert plaintext to ciphertext and back. But lightweight block ciphers have substituted all the other conventional block ciphers because of its low computing resource, low memory usage, and power.

Symmetric cryptography utilizes only one key for encryption and decryption of data, while in the other hand asymmetric or public-key cryptography utilizes both public and private keys for encryption and decryption of data. Block cipher is a symmetric cipher process information block of various bits using constant mapping.

A lightweight block cipher is not the same as block ciphers as it used different algorithms that require less area, memory (RAM, ROM), power, etc. It gives a much simpler and faster result compared to the conventional ones. In this paper, we have verified the functionality of an architecture that has been designed and implemented using the Intel Quartus Prime 18.0 FPGA tool in the Cyclone IV device.

Our main objective in this project is to design and verify the functionality of a lightweight RECTANGLE block cipher which consists of various blocks. For this, we have designed different blocks such as S-blocks, Permutation block, 2:1 multiplexers, round counters, etc.

In this paper, we present a design of a RECTANGLE lightweight block cipher using 4x4 S-block. The paper contains the following sub-sections: in section II, a literature review is presented. In that, subsection A explains the rectangular block cipher. The architecture of RECTANGLE is discussed in subsection B again it has four parts, part 1 explains the subkey state and cipher state. Part 2 describes the round transformation methodology in the architecture. Subsequently, in part, the 3 S-block design has been discussed.

In part, 4 explains the key scheduling methodology in architecture. Simulation results are shown in subsection C. Section III will conclude all the work.



- 1) *Sub-Key State and Cipher State*: One of the main reasons of naming the lightweight cipher as RECTANGLE is that the block sizes can be pictured as a (4 x 16) array of bits. The cipher state consists of a 64-bit plaintext or a 64-bit cipher text. let  $w_{15}, w_{14}, \dots, w_1, w_0$  represent the cipher state in first row. Similarly,  $w_{31}, \dots, w_{17}, w_{16}$  bits are arranged in second row and so on as shown below in Matrix 1.

$$\begin{bmatrix} w_{15} & w_{14} & \dots & w_1 & w_0 \\ w_{31} & w_{30} & \dots & w_{17} & w_{16} \\ w_{47} & w_{46} & \dots & w_{33} & w_{32} \\ w_{63} & w_{62} & \dots & w_{49} & w_{48} \end{bmatrix}$$

Fig. 2. 64-bit Block Size (Matrix 1).

For convenience, a cipher text can also be represented in a two-dimensional array as shown in matrix 2.

Also, a 64-bit key can be represented as (4 x 16) array known as sub-key state. The algorithm requires three steps

$$\begin{bmatrix} X_{0,15} & X_{0,14} & \dots & X_{0,1} & X_{0,0} \\ X_{1,15} & X_{1,14} & \dots & X_{1,1} & X_{1,0} \\ X_{2,15} & X_{2,14} & \dots & X_{2,1} & X_{2,0} \\ X_{3,15} & X_{3,14} & \dots & X_{3,1} & X_{3,0} \end{bmatrix}$$

Fig. 3. 64-bit Block Size in 2D (Matrix 2).

which is explained in the subsequent subsections.

PSEUDOCODE [2] :

generateRoundkeys()

for (i=0 to 24)

do

addRoundkey(state, Ki);

subcolumn(state);

shiftrow(state);

end;

addRoundkey(state, K25)

The first 64-bit of user key undergoes 25 internal rounds. The final Round key after 25th iteration, is used for post key-whitening ( i.e. XORing before the first round and after the final round of encryption).

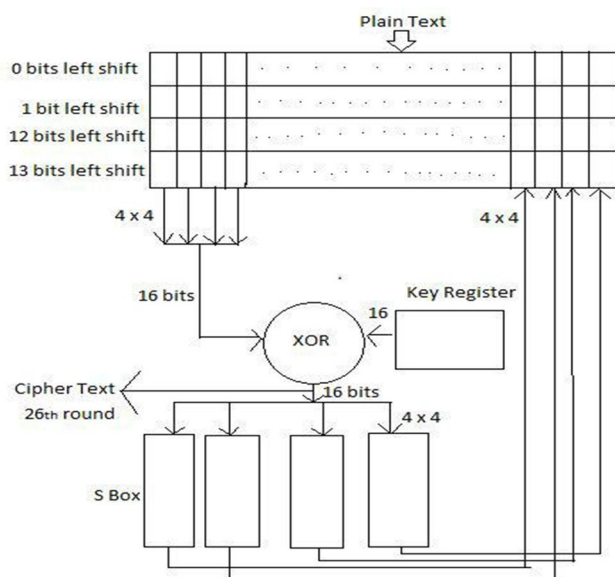


Fig. 4. Round Transformation Operation.



2) *Round Transformation*: There are two 64-bit registers. One to store the round sub-key and the other for ciphertext. The ciphertext like we saw above is represented as a 4 x 16 array and at a time only 16-bits are processed sequentially. At every clock cycle, the leftmost four columns of the current state are being XORed with the correspondent subkey register.

This operation is called the Add Round Key. Then the S-Box used in the RECTANGLE algorithm behaves as a 4-bit x 4-bit S-box SCHEDULING. Let  $T_i$  be the 16-bit temporary state., for  $i = 1$  to 12. The sub-column transformation can be evaluated in 12 steps:

1.  $T_1 = \text{NOT } X_1$ , 2.  $T_2 = X_0 \text{ AND } T_1$ , 3.  $T_3 = X_2 \text{ XOR } X_3$ ,

4.  $Y_0 = T_2 \text{ XOR } T_3$ , 5.  $T_5 = X_3 \text{ OR } T_1$ , 6.  $T_6 = X_0 \text{ XOR } T_5$ ,

7.  $Y_1 = X_2 \text{ XOR } T_6$ , 8.  $T_8 = X_1 \text{ XOR } X_2$ , 9.  $T_9 = T_3 \text{ AND } T_6$ , 10.  $Y_3 = T_8 \text{ XOR } T_9$ , 11.  $T_{11} = Y_0 \text{ OR } T_8$ ,

12.  $Y_2 = T_6 \text{ XOR } T_{11}$

The result of the XOR is put through parallel operation of ( 4 x 4 ) S-Box as illustrated below.

Input of to the S-Box(Matrix 3) is : column(j)=  $X_{3j}$ ,  $X_{2j}$ ,  $X_{1j}$ ,  $X_{0j}$ ; (for  $j = 0$  to 15)

i.e.

$$\begin{bmatrix} X_{0,15} \\ X_{1,15} \\ X_{2,15} \\ X_{3,15} \end{bmatrix}$$

Fig. 5. S-Box Input (Matrix3).

and ouput of the S-Box (Matrix 4) is : column(j)=  $Y_{3j}$ ,  $Y_{2j}$ ,  $Y_{1j}$ ,  $Y_{0j}$ ; (for  $j = 0$  to 15) i.e.

$$\begin{bmatrix} Y_{0,15} \\ Y_{1,15} \\ Y_{2,15} \\ Y_{3,15} \end{bmatrix}$$

Fig. 6. S-Box Output (Matrix4).

Similarly, the non-linear substitution is done for all the 16 columns parallelly using 16 (4 x 4) S-Boxes. The values are specified in hexadecimal that we will discuss in the next subsection. The final step of round Transformation includes Shift Row operation which is called as the Permutation layer. Row 0 is shifted by 0 bits ( i.e. no rotation). Row 1 is left shifted by 1 bit. Row 2 is left shifted by 12 bits and the last row ( i.e. row 3) is left shifted by 13 bits. Let  $Y_0$ ,  $Y_1$ ,  $Y_2$ ,  $Y_3$  be the four 16-bit inputs of shift-row operation and  $Z_0$ ,  $Z_1$ ,  $Z_2$ ,  $Z_3$  be the four 16-bit outputs. So,

$Z_0 = Y_0$ ;

$Z_1 = \text{left-shift } Y_1 \text{ by 1 bit ;}$

$Z_2 = \text{left-shift } Y_2 \text{ by 12 bits;}$

$Z_3 = \text{left-shift } Y_3 \text{ by 13 bits;}$

So, these are the three steps of round transformation.

In the next clock cycle, 16 bits of cipher state is XORed with correspondent bits of subkey register. By the end of one clock cycle , the control signal is used to rotate the four rows over the conditions specified in shift row transformation and simultaneously store the values of the last S-Box output. This is known as Round Transformation. One clock cycle completes one round transformation. The control signal simultaneously loads the next round key into the sub-key register that is extracted from key-scheduling. After 25 rounds of 64-bit XOR of the current state with a sub-key state, the cipher state gives the final output.

- 3) *S-Box Design* : S-box executes substitution operation. Here, we have taken a 4 x 4 S-Box ( i.e. four inputs and four outputs). We have generated a look up table as shown in table1.

TABLE I  
S-BOX LOOKUP TABLE

INPUT	OUTPUT
0	6
1	5
2	C
3	A
4	1
5	E
6	7
7	9
8	B
9	0
A	3
B	D
C	8
D	F
E	4
F	2

- 4) *Key Scheduling*: Key scheduling requires 80- bit ( rep-resented as 5 x 16 array) key registers. It can be represented in matrix form as shown below in matrix 5.

$$\begin{bmatrix} v_{15} & v_{14} & \dots & v_1 & v_0 \\ v_{31} & v_{30} & \dots & v_{17} & v_{16} \\ v_{47} & v_{46} & \dots & v_{33} & v_{32} \\ v_{63} & v_{62} & \dots & v_{49} & v_{48} \\ v_{79} & v_{78} & \dots & v_{65} & v_{64} \end{bmatrix}$$

Fig. 7. Key Scheduling Size (Matrix 5).

For convinience, it can also be represented in a two-dimensional array (in matrix 6) as  $K_{i,15}, \dots, K_{i,1}, K_{i,0}$ , for  $(i=0 \text{ to } 4)$ .

$$\begin{bmatrix} K_{0,15} & K_{0,14} & \dots & K_{0,1} & K_{0,0} \\ K_{1,15} & K_{1,14} & \dots & K_{1,1} & K_{1,0} \\ K_{2,15} & K_{2,14} & \dots & K_{2,1} & K_{2,0} \\ K_{3,15} & K_{3,14} & \dots & K_{3,1} & K_{3,0} \\ K_{4,15} & K_{4,14} & \dots & K_{4,1} & K_{4,0} \end{bmatrix}$$

Fig. 8. Key Scheduling Size in 2D (Matrix 6).

At round  $i$  (total 25 rounds from  $i=0$  to 24), the sub-key  $K_i$ , contains the first four rows of key register ( $K_i = \text{row3, row2, row1, row0}$ ). In the first step of key scheduling, S-Box substitution is applied to the bits intersecting the rightmost columns and the four uppermost rows. i.e. Input of to the S-Box (in matrix 7) is:  $\text{column}(j) = K_{3,j}, K_{2,j}, K_{1,j}, K_{0,j}$ ; (for  $j=0$  to 3) i.e. (for  $j=0$ )

$$\begin{bmatrix} K_{3,0} \\ K_{2,0} \\ K_{1,0} \\ K_{0,0} \end{bmatrix}$$

Fig. 9. S-Box Input in Key Scheduling (Matrix 7).

and output of the S-Box (in matrix 8) is:  $\text{column}(j) = L_{3,j}, L_{2,j}, L_{1,j}, L_{0,j}$ ; (for  $j=0$  to 3) i.e. (for  $j=0$ )

$$\begin{bmatrix} L_{3,0} \\ L_{2,0} \\ L_{1,0} \\ L_{0,0} \end{bmatrix}$$

Fig. 10. S-Box Output in Key Scheduling (Matrix 8).

Similarly, the non-linear substitution is done for the first four columns parallelly using four ( $4 \times 4$ ) S-Boxes respectively. And the remaining 64 bits are passed through the wire. Next, one round of Feistel transformation is used to the existing five rows which are also referred to as Permutation Layer.

i.e.  $\text{NewRow}_0 = (\text{left-shift Row}_0 \text{ by 8 bits}) \text{ XOR with Row}_1$ ;

$\text{NewRow}_1 = \text{Row}_2$ ;

$\text{NewRow}_2 = \text{Row}_3$ ;

$\text{NewRow}_3 = (\text{left-shift Row}_0 \text{ by 12 bits}) \text{ XOR with Row}_4$ ;

$\text{NewRow}_4 = \text{Row}_0$

After executing this step, we move to the last step where the right-most five bits of  $\text{NewRow}_0$  is XORed with a round constant  $RC_i$  (which is five bits). Each round of iteration has different values of round constants which are being generated by a five-bit LFSR (linear-feedback shift register).

$$\text{i.e. } (L_{0,4}, L_{0,3}, L_{0,2}, L_{0,1}, L_{0,0}) = (K_{0,4}, K_{0,3}, K_{0,2},$$

$K_{0,1}, K_{0,0}) \text{ XORed with } (RC_i)$ . The values of  $RC_i$  are as follows:

$$RC_0 = 0X01, RC_1 = 0X02, RC_2 = 0X04, RC_3 = 0X09, RC_4$$

$$= 0X12, RC_5 = 0X05, RC_6 = 0X0B, RC_7 = 0X16, RC_8$$

$$= 0X0C, RC_9 = 0X19, RC_{10} = 0X13, RC_{11} = 0X07, RC_{12}$$

$$= 0X0F, RC_{13} = 0X1F, RC_{14} = 0X1E, RC_{15} = 0X1C, RC_{16} =$$

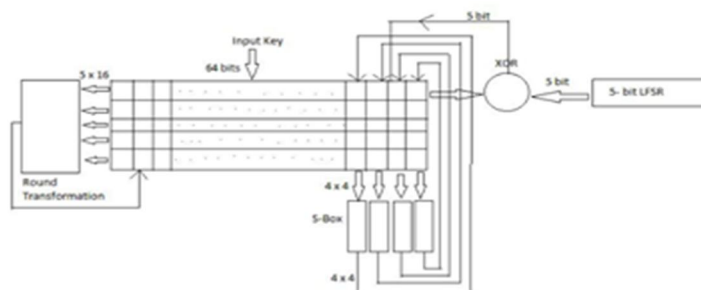


Fig. 11. Key Scheduling Operation.

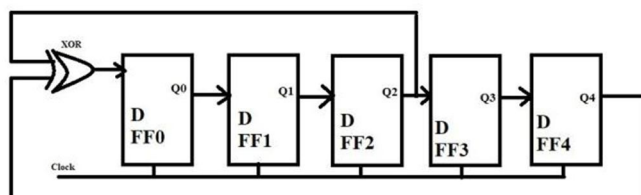


Fig. 12. Linear-feedback shift register for round count generation

$0X18, RC_{17} = 0X11, RC_{18} = 0X03, RC_{19} = 0X06, RC_{20} = 0X0D, RC_{21} = 0X1B, RC_{22} = 0X17, RC_{23} = 0X0E, RC_{24} = 0X1D$ .  
After 25 round cycles,  $K_{25}$  is finally extracted.

### C. Simulation Results



Fig. 13. Output for key and plaintext.

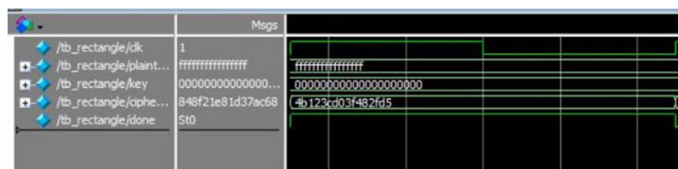


Fig. 14. Output for Random key and plaintext.

## III. CONCLUSION

A RECTANGLE block cipher is a flexible lightweight ( based on bit-slicing) algorithm that is used in many applica-tions such as RFID, WSNs, etc. From the simulation results.

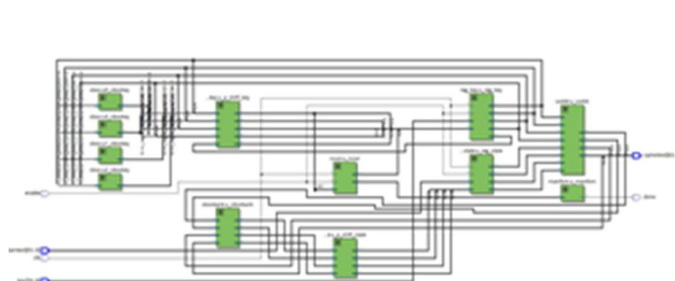


Fig. 15. RTL schematic for main module

Table II  
Synthesis Report For Rectangular Block Cipher

Target Device used	Cyclone IV E
Logical Elements used	259
Total registers used	149
Pins used	211



TABLE. III  
POWER ANALYSIS SUMMERY

Total Thermal Power Dissipation	187.10 mW
Core Dynamic Thermal Power Dissipation	1.58 mW
Core Static Thermal Power Dissipation	98.65 mW
I/O Thermal Power Dissipation	86.87 mW

It operates at a maximum of 150MHz. The architecture has been implemented on the Intel Quartus Prime 18.0 device. It has the flexibility to choose different key sizes. It can trigger many problems in the field of cryptography and design. The P-Layer uses three left rotations, which not only reduces cost in hardware but also has software efficiency. Yet RECTANGLE is an interesting design, and there is always a further scope of security-based research in RECTANGLE, be it be in reducing the S-box used, using fewer clock cycles for each rotation, etc.

#### IV. ACKNOWLEDGMENT

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