

# Implementation of Efficient Binary To Gray Code Converter Using Quantum Dot Cellular Automata

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**Abstract:** Quantum dot cellular automata is one of the emerging nano technology in IC industry because it can overcome the limitations of CMOS technology like power dissipation ,leakage current etc.QCA technology is used extensively in digital circuits and systems. In conventional computers information is transferred from one place to another by means of electrical current, in QCA by propagating the polarization state the information is transferred.QCA circuits are operated at terahertz frequency so switching time and power dissipation of the circuit reduces. In this paper QCA based high speed code converters are implemented with reduced no of cells and area.

**Keywords:** Quantum Dot Cellular Automatta cell,QCA Clock,MajorityVoter,Code converter

## I. INTRODUCTION

According to International Semiconductor Road map (ISRM) Quantum-dot cellular automata (QCA) has one of the emerging technology .CMOS technology facing a lot of problems in nano scale era.QCA is the best alternative to CMOS technology.

### A. QCA Cell

Basic element of QCA is QCA cell shown in fig1.a. It consists of two electrons with four quantum dots positioned at the vertices of a squared cell. The logic functions are performed by Coulomb interactions. The Coulomb interactions and the quantum mechanical tunneling is done between the dots due to the interaction of the electrons in the QCA cell, but they cannot leave the cell[1].If two mobile electrons are placed diagonally in the cell. The polarity of the cell is shown in fig.1.b&cThe basic blocks of QCA is a QCA wire, QCA inverter and QCA majority gate.

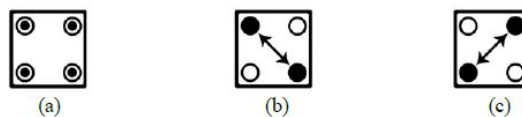


Fig.1.a)QCA cell b) pollarity'1' c) polarity'0'

### B. QCA Wire

QCA wire simply acts like a binary wire. In QCA wire, the binary signal propagates from input to output because of the electrostatic interactions between cells.

The propagation in a 90° QCA wire is shown in Fig. 2. Other than the 90° QCA wire, a 45° QCA wire can also be used. In this case, the propagation of the binary signal alternates between the two polarizations [2,4].

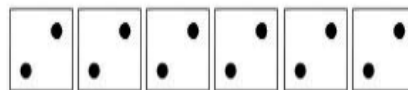


Fig.2.QCA wire(90°)

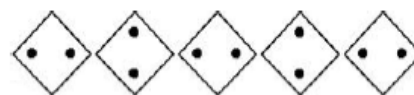


Fig.3.QCA wire(45°)

### C. Majority Gate

The majority gate is the fundamental gate of QCA produces an output that reflects the majority of the inputs [3].

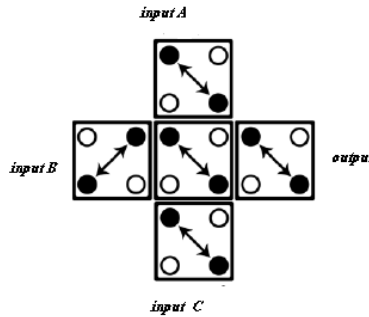


Fig.4.Majority Gate

By fixing the polarization of majority gate input to 0 (P=-1)it acts like an AND gate.If the polarization of majority gate input fixed to 1(p=1)it acts like an OR gate.

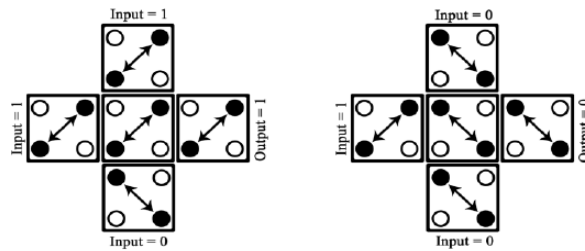


Fig.5.2 input AND and 2 input OR gate

D. QCA Inverter

Compared to conventional NOT gate or Inverter QCA inverter is simple. The electrostatic interaction between the dots is inverted, because the quantum-dots corresponding to different polarizations are misaligned between the cells [5].

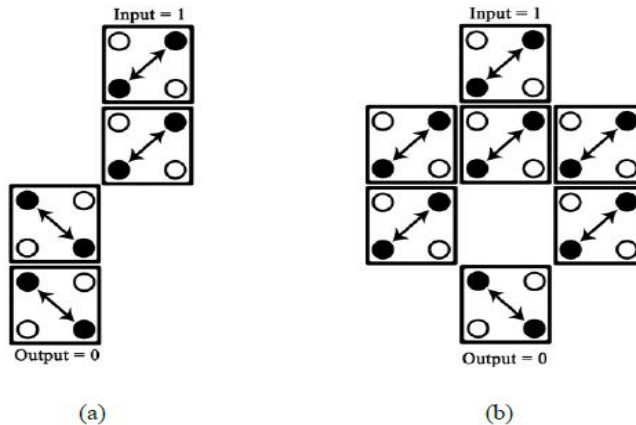


Fig.6.a)QCA Inverter b)Robust inverter

QCA technology is depends on charge transfer rather than electron flow.In QCA synchronization of information is done by clocking mechanism. QCA take advantage of quantum-mechanical effects to significantly increase the speed ,reduce the size and power of digital circuits.

E. QCA Clocking

To control the information flow , to provide the power to run the circuit and to control the information flow QCA circuits need clock. Each clock is having four phases. Those are switch phase ,release phase ,relax phase and hold phase. The phase lag between the each clock is 90°.The phase lag between two alternative clocks is 180°[15]. Cells can be grouped into zones so that the field influencing all the cells in the zones will be the same.

During the Switch phase, the initial state of the QCA cell is unpolarized and the interdot barrier are slowly raised which pushes the electrons into the corner dots, so the cell become polarized under the influence of its neighbors. In this state actual computation is performed. In the hold phase the barriers are high and cell state is fixed and retains its polarity and acts as input to the neighboring cells. In the relax phase, the electrons are pulled into the middle dots, so the cell state becomes “null”. Finally in the release phase, barriers are lowered and the electrons are pulled into the middle dots so the cell state becomes unpolarized. Here switching is adiabatic, i.e. the system remains very close to the energy ground state during transition, and the stationary state of each cell can be obtained by solving the time-independent Schrodinger equation. Clocking zones of a QCA circuit system are arranged in cyclic fashion, so that zones in the Hold phase are followed by zones in the Switch, Release and Relax phases[17].

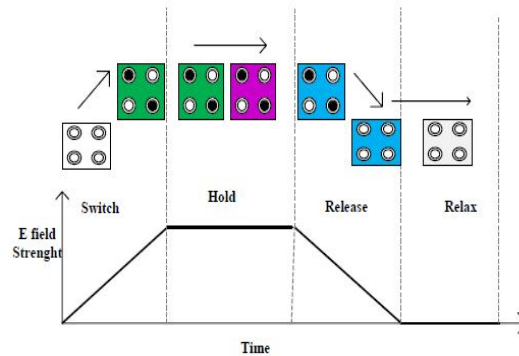


Fig .7. Clock Phases in zone Clocking

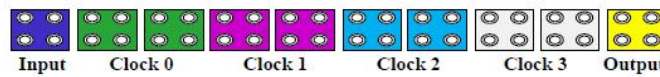


Fig.8.Clock coding of clocks in zone clocking

This clocking method makes the design of QCA different from CMOS circuits. The Fig. 6 shows the four available clock signals. Each signal is phase shifted by 90° degrees. When the clock signal is low the cells are latched. When the clock signal is high the cells are relaxed and have no polarization. In between, the cells are either latching or relaxing when the clock is decreasing or increasing respectively

#### F. Crossover

The collection of two intersecting QCA wires is known as a crossover .There are several approaches to design a cross over. Most used approaches are Multi layer and Coplanar approach.

- 1) *Multi-layer approach:* This QX architecture uses two substrate layers to avoid interference [6].
- 2) *Coplanar approach:* One-layer QX is possible via 45- degree rotation of all QCA cells of one of the wires. This structure is unfortunately not robust enough [7] [8].

#### G. QCA Fabrication technologies

QCA cells are realized with different fabrication technologies [9]; namely Metal Island [10], Semiconductor [11], Molecular [12], and Magnetic [13]. Metal Island and semiconductor products require very low working temperature, while those of others work in room temperature. The Molecular alternative provides very small QCA cells (contrary to Magnet) ultra high working frequency in Tera hertz. However, there are some shortcomings such as difficulty of realization of rotated cells [14].

#### H. Code converters

- 1) *Binarycode:* A binary code represents text, computer processor instructions. Binary code is the simplest form of computer code or programming data. It is represented entirely by a binary system of digits consisting of a string of consecutive zeros and ones.
- 2) *Graycode:* The logic circuit which converts binary to gray code is called binary to gray code converter. Gray code is a non weighted code and cyclic code. It is also called as reflective code. Gray code is most popular to the unit distance code. Gray code are widely used to facilitate error correction in digital communications such as digital terrestrial Television and cable TV systems. It is not suitable for arithmetic operations.

**I. Binary to Gray code converter**

The M.S.B. of the gray code will be exactly equal to the first bit of the given binary number. Now the second bit of the code will be exclusive-or of the first and second bit of the given binary number, i.e if both the bits are same the result will be 0 and if they are different the result will be 1. The third bit of gray code will be equal to the exclusive-or of the second and third bit of the given binary number. Thus the Binary to gray code conversion goes on.

**II. QCA IMPLEMENTATION OF BINARY TO GRAY CODE CONVERTER**

Figure 8-10 shows the simplified block diagrams of 2-bit binary to gray code and 3-bit binary to gray code and 4-bit binary to gray code converter using Majority voter[16].

**A. 2-bit binary to gray code converter**

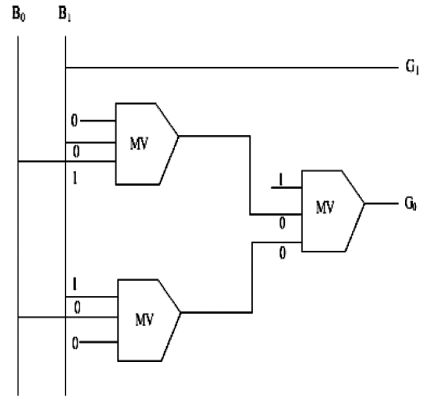


Fig .9. Block diagram of 2-bit binary to gray code converter

Table 1.Truth Table

Deci mal	Binary B <sub>0</sub> B <sub>1</sub>	Gray G <sub>0</sub> G <sub>1</sub>
0	0 0	0 0
1	0 1	0 1
2	1 0	1 1
3	1 1	1 0

**B. 3-bit binary to Gray code converter**

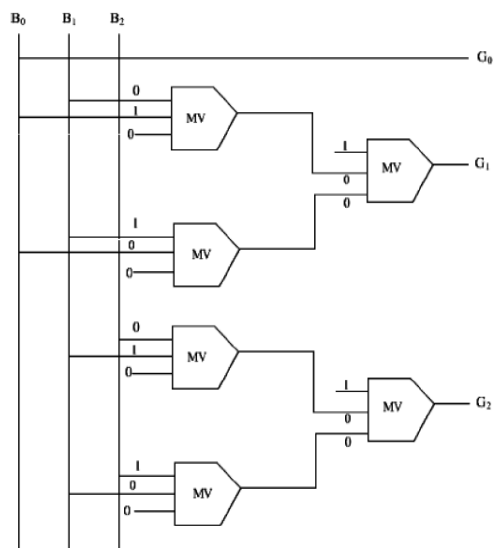


Fig.10.3-bit binary to Gray code converter

Table2.Truth Table

Decimal	Binary B <sub>0</sub> B <sub>1</sub> B <sub>2</sub>	Gray G <sub>0</sub> G <sub>1</sub> G <sub>2</sub>
0	000	000
1	001	001
2	010	011
3	011	010
4	100	110
5	101	111
6	110	101
7	111	100

C. 4-bit binary to gray code converter

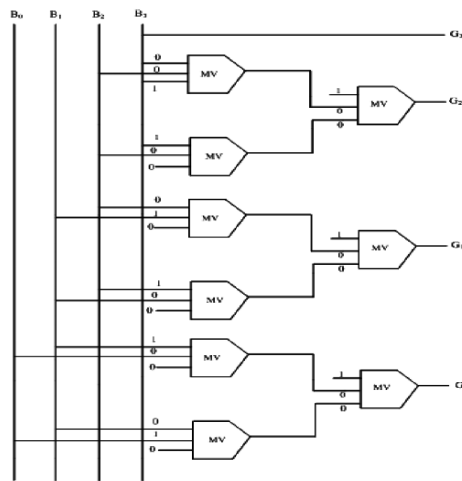


Fig.11.4-bit Binary to Gray code converter

Table3.Truth Table

Decimal	Binary B <sub>0</sub> B <sub>1</sub> B <sub>2</sub> B <sub>3</sub>	Gray G <sub>0</sub> G <sub>1</sub> G <sub>2</sub> G <sub>3</sub>
0	0000	0000
1	0001	0001
2	0010	0011
3	0011	0010
4	0100	0110
5	0101	0111
6	0110	0101
7	0111	0100
8	1000	1100
9	1001	1101
10	1010	1111
11	1011	1110
12	1100	1010
13	1101	1011
14	1110	1001
15	1111	1000

### III. SIMULATION AND RESULTS

The code converter circuits are designed using QCA Designer 2.0.3. The simulated QCA circuit layout of 2-bit binary to gray, 3-bit binary to gray and 4-bit binary to gray code converter are shown in figure 11to 15 respectively.

The logical equation of two bit binary to gray code converter is  $G1 = B1$  and  $G0 = B1 \oplus B0$ .

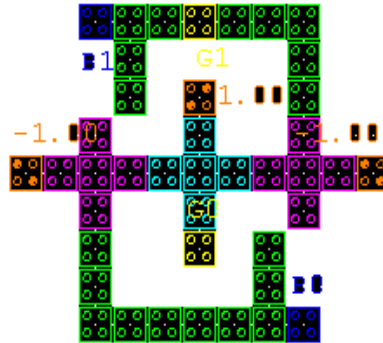


Fig.12.Layout of 2bit bit Binary to Gray code converter

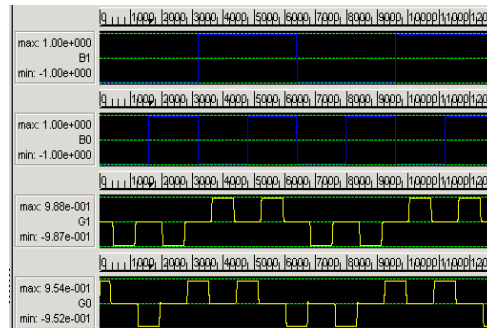


Fig.13.Simulated output of 2bit Binary to Gray code converter

From the simulated output of 2bit binary to gray code converter shown in figure12 , we observe that the binary inputs B1 and B2 are applied at clock0 we get the output G1 at clock0 and output G0 at clock2.

For three bit binary to gray code converter the logical equations are  $G0 = B0$ ,  $G1 = B1 \oplus B0$  and  $G2 = B2 \oplus B1$ .

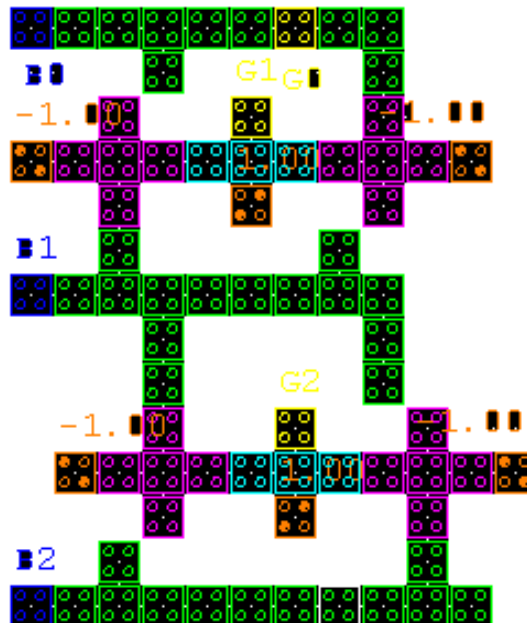


Fig.14.Layout of 3bit bit Binary to Gray code converter

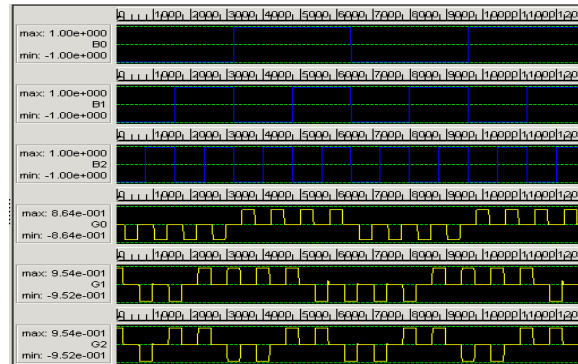


Fig.15.Simulated output of 3bit Binary to Gray code converter

From the simulated output of 3bit Binary to Gray code converter shown in figure14 we observe that the binary inputs B0,B1 and B2 are applied at clock0 we get the output G0 at clock0 and output G1 and G2 at clock2.

The logical equations of four bit binary to gray code converter is  $G3 = B3$ ,  $G2 = B3 \oplus B2$ ,  $G1 = B2 \oplus B1$  and  $G0 = B1 \oplus B0$ .

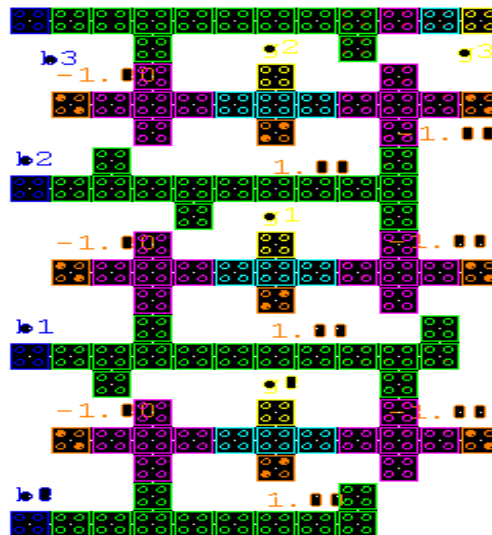


Fig.16.Layout of 4bit bit Binary to Gray code converter

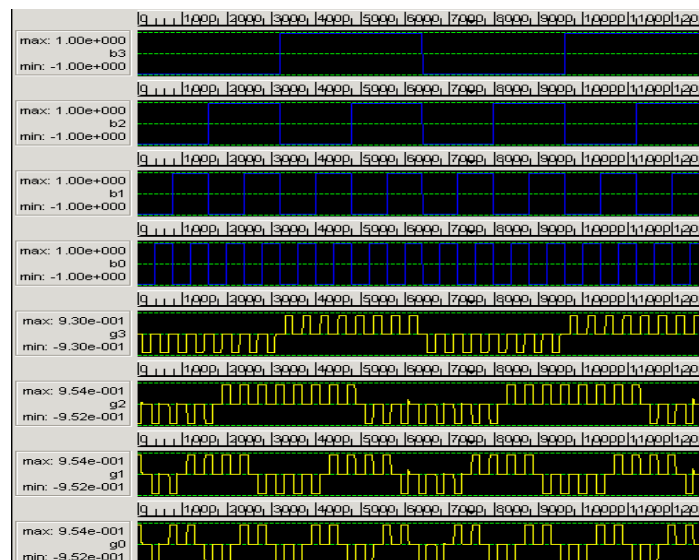


Fig.17.Simulated output of 4bit Binary to Gray code converter

From the simulated output of 4-bit Binary to Gray code converter shown in figure16 we observe that the binary inputs B0,B1 B2 and B3 are applied at clock0 we get the output G0 at clock0 and output G1 ,G2 and G3 at clock2.

Table4.Performance factors of Binary code Gray converter

Binary to Gray code converter	No of cells	Area in $\mu\text{m}^2$
2-bit[16]	44	0.06
2-bit proposed	41	0.04
3-bit[16]	86	0.11
3-bit proposed	73	0.07
4-bit [16]	127	0.13
4-bit proposed	105	0.09

#### IV. CONCLUSION

In this paper, an effective QCA based binary to gray converter has been presented in detail. The proposed designs are fit in the manner that they enclose less number of cells, clock phases and area. QCA technology is the best alternative of CMOS based technology. The simulation outcomes present that the proposed circuits execute well. These methods are conducive in quantum computing, digital signal processing (DSP), and nanotechnology.

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